

## Economics 230a, Fall 2018

### Lecture Note 12: Taxation and Business Investment

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We now turn now to the real side of firm decisions, in particular to investment behavior. Although we traditionally think of plant and equipment, of growing importance is investment in intangible assets, as through R&D spending. We will confront several issues, including the role of expectations, temporary incentives and the connection between investment and market value.

#### The User Cost of Capital

A basic concept for analyzing the impact of taxes on investment is the user cost of capital, as originally derived by Jorgenson (*AER* 1963) and used in both theoretical and empirical analysis. We consider the decisions of a firm wishing to maximize its value at date  $t$ ,

$$(1) \quad V_t = \int_t^{\infty} e^{-r(s-t)} X_s ds,$$

where  $r$  is the discount rate relevant for the corporation's cash flows from real activities at each date  $s$ ,  $X_s$ . One can show that  $r$  is a weighted average of the firm's debt and equity capital costs. Note that, under the new view of dividend taxation, the right-hand side would also incorporate an adjustment for the ratio based on dividend and capital gains taxes,  $\left(\frac{1-\theta}{1-c}\right)$ , but as this correction has no influence on the optimization decision we will ignore it for now.

We assume that the firm uses capital and labor in production, so that its cash flows at date  $s$  are:

$$(2) \quad X_s = (1 - \tau_s)[p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - k_s) + \tau_s \int_{-\infty}^s D_u(s-u) q_u I_u du$$

where  $p_s$  is the output price,  $w$  is the wage (assumed constant),  $K_s$  and  $L_s$  are capital and labor used in production  $F(\cdot)$ ,  $q_s$  is the price of new capital, and  $I_s$  is the flow of real investment. The corporate tax system has three components:  $\tau_s$ , the corporate tax rate,  $k_s$ , the initial subsidy to investment (e.g., an investment tax credit), and  $D_u(s-u)$ , the date- $s$  depreciation deduction per dollar of investment made at an earlier date  $u$ . This deduction depends not only on the age of the asset,  $(s-u)$ , but also on the tax depreciation rules as of date  $u$ . Inserting (2) into (1) yields:

$$\begin{aligned} V_t &= \int_t^{\infty} e^{-r(s-t)} \left( (1 - \tau_s)[p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - k_s) + \tau_s \int_{-\infty}^s D_u(s-u) q_u I_u du \right) ds \\ &= \int_t^{\infty} e^{-r(s-t)} \left( (1 - \tau_s)[p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - k_s) + \tau_s \int_t^s D_u(s-u) q_u I_u du + \tau_s \int_{-\infty}^t D_u(s-u) q_u I_u du \right) ds \\ &= \int_t^{\infty} e^{-r(s-t)} \left( (1 - \tau_s)[p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - k_s) + \tau_s \int_t^s D_u(s-u) q_u I_u du \right) ds + \bar{V}_t \end{aligned}$$

where we break depreciation allowances down into those attributable to investment after date  $t$  and before  $t$ . The second piece, with value  $\bar{V}_t$ , affects firm value at date  $t$ , but not decisions from date  $t$  onward, and so may be ignored in the optimization. (It will be relevant later.) The

remaining expression for firm value can be simplified by changing the order of integration for depreciation allowances (starting with date of allowances, rather with date of investment):

$$(3) \quad \begin{aligned} V_t &= \int_t^\infty e^{-r(s-t)} \left( (1 - \tau_s) [p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - k_s) + q_s I_s \int_s^\infty e^{-r(u-s)} \tau_u D_s(u-s) du \right) ds + \bar{V}_t \\ &= \int_t^\infty e^{-r(s-t)} \left( (1 - \tau_s) [p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - \Gamma_s) \right) ds + \bar{V}_t \end{aligned}$$

where  $\Gamma_s = k_s + \int_s^\infty e^{-r(u-s)} \tau_u D_s(u-s) du$  is the value of tax benefits per dollar invested at  $s$ .

The firm seeks to maximize its value at time  $t$ , as defined in expression (3), through the choice of labor and investment at each subsequent date. For labor the first-order condition will be simple, that  $p_s F_L = w$ . Determining the optimal investment policy requires further specification of the firm's technology. It is usually assumed that capital depreciates exponentially at rate  $\delta$ , that is:

$$(4) \quad \dot{K}_t = I_t - \delta K_t$$

Note that  $\delta$  is capital's rate of actual, or economic depreciation, and is generally distinct from the pattern of depreciation allowances specified by the function  $D(\cdot)$  defined above. Inserting (4) into (3), one can then solve for the optimal capital stock path using the calculus of variations.

The Euler equation,  $\frac{\partial V_t}{\partial K_s} - \frac{d(\partial V_t / \partial \dot{K}_s)}{ds} = 0$ , yields the following solution for marginal product of capital:

$$(5) \quad F_K = \frac{q_s^* (r + \delta - \dot{q}_s^* / q_s^*)}{p_s (1 - \tau_s)}$$

where  $q_s^* = q_s (1 - \Gamma_s)$ , which one may think of as the *effective* price of capital goods, taking into account the present value of tax benefits directly associated with investment. The expression on the right-hand side of (5), the implicit rental price of capital, is commonly referred to as the user cost of capital. With a constant tax system,  $\dot{q}_s^* / q_s^*$  is just  $\dot{q}_s / q_s$  and the term in parentheses in the numerator is just the real required return to investors  $r - \dot{q}_s / q_s$  plus the rate of depreciation,  $\delta$ .

**Special Cases** (with tax parameters constant over time):

*Immediate expensing:*  $\Gamma_s = \tau_s$ , so the user cost becomes  $\frac{q_s}{p_s} (r + \delta - \dot{q}_s / q_s)$ ; the tax system

affects investment only through its impact on the required rate of return,  $r$ .

*Economic depreciation allowances* (at replacement cost):  $D_s(u-s) = \frac{q_u}{q_s} \delta e^{-\delta(u-s)}$ ; for a constant

inflation rate, this implies that  $\Gamma_s = \tau \frac{\delta}{r + \delta - \dot{q}_s / q_s}$ , so the user cost becomes  $\frac{q_s}{p_s} \left( \frac{r - \dot{q}_s / q_s}{1 - \tau} + \delta \right)$ .

The tax system effectively taxes the net (after depreciation) return to investment,  $r - \dot{q}_s / q_s$ .

## Temporary Tax Policy

Tax policy is not static. Particularly when investment incentives are concerned, tax policy may change frequently. For example, the United States adjusted the value of  $\Gamma$ , as defined above, through a program known as “bonus depreciation,” several times within the past decade, in response to two recessions. (See House and Shapiro for an analysis of initial bonus depreciation policy, using the distinction between qualifying and non-qualifying assets as a natural experiment.) How do such changes affect the incentive to invest and the timing of investment? Also, the above derivation of the user cost of capital assumes that firms can adjust their capital stock as quickly as desired, to set the marginal product of capital equal to the user cost at each instant. If this is not a realistic short-run assumption, what modifications to the model would be appropriate?

On the first question, we can consider the impact on the user cost expression in (5) when tax policy is changing. In particular, note that  $\dot{q}_s^*/q_s^* = \dot{q}/q - \dot{\Gamma}/(1-\Gamma)$ , so that the user cost is:

$$(5') \quad \frac{q_s}{p_s} \frac{(r + \delta - \dot{q}_s/q_s)(1 - \Gamma_s) + \dot{\Gamma}_s}{(1 - \tau_s)}$$

Thus, there is an extra term influencing the incentive to invest,  $\dot{\Gamma}$ . When tax incentives are increasing, it is like deflation in the price of capital goods, increasing the user cost and discouraging immediate investment. Let us consider now the incentives associated with an increase in the value of  $\Gamma$ , through bonus depreciation. When the system is in place and assumed permanent, it lowers the user cost (encouraging investment) by raising  $\Gamma$ . If the incentive is perceived to be temporary, this reduces the user cost even more, as  $\dot{\Gamma}$  is negative. On the other hand, just prior to the incentive being introduced, if it is anticipated, the user cost will be elevated above its value with no special incentives, as  $\dot{\Gamma}$  is positive. Thus, there is a danger that frequent use of investment incentives can be destabilizing by leading firms to delay investment as a downturn approaches. As shown in Auerbach (*AER* 2009), changes in US investment incentives have been quite predictable in recent decades, therefore giving cause for concern.

The most recent US episode of this type was in the 2017 Tax Cuts and Jobs Act, which provides full expensing of qualifying investment for a period of five years, with expensing then gradually phased out in the following years. The impact of this provision on investment will depend in part on how credible the announced phase-out is.

## Investment, Tobin’s $q$ , Market Value and Liquidity Constraints

Let us go back to the last line of expression (3):

$$(3) \quad V_t = \int_t^{\infty} ((1 - \tau_s) p_s [p_s F(K_s, L_s) - wL_s] - q_s I_s (1 - \Gamma_s)) ds + \bar{V}_t$$

We know that firms will invest until the present value of the marginal investment project is zero. Since the marginal unit of capital costs  $q$  and the investment also generates investment deductions and related benefits of  $q\Gamma$ , it must be the case that the present value of future after-tax

marginal products equals  $q(1-\Gamma)$ . Now, consider the existing capital stock,  $K$ . Since capital is homogeneous, existing capital must also generate after-tax marginal products per unit with a present value  $q(1-\Gamma)$ . But the present value of investment deductions for such capital, in the aggregate equal to  $\bar{V}$  in (3), may not equal  $q\Gamma K$ . That is, the value of the firm's capital will equal

$$(6) \quad q(1-\Gamma)K + \bar{V} = qK + (\bar{V} - q\Gamma K)$$

A simple illustration comes from the case where there is complete expensing of investment, in which case  $\bar{V} = 0$  – once purchased and deducted, capital provides no further tax deductions. In this case, the value of the firm's capital stock according to (6) is  $q(1-\Gamma)K$ . This can lead to a substantial gap between the replacement cost of capital and its market value within the firm. Indeed, McGrattan and Prescott (*RES* 2005) argue that an important component of postwar stock price movements in the US and UK is attributable to fluctuations in this discount as well as the one, already discussed, that occurs under the “new view” of dividend taxation. This is another illustration of tax capitalization. Here, existing capital is less valuable than new capital because it does not carry the investment tax deductions that new capital receives.

Another reason for market values to fluctuate in response to taxation relates to adjustment costs. If capital stocks are fixed, then an increase in after-tax returns resulting from a tax cut will increase the value of capital. On the other hand, if capital adjusts immediately to a tax cut, so that the marginal product of capital always equals the user cost, after-tax returns will be driven down to the lower user cost and market values won't rise. In the intermediate case where it is costly for firms to adjust capital, we would expect an increase in after-tax returns to lead to more investment, but not enough to offset fully the increase in the value of capital. Put another way, we would expect the value to the firm of having a new unit of capital,  $q$ , to move in the same direction as investment. This is Tobin's  $q$  theory of investment, which predicts that increases in market value should be associated with increases in investment. But one must be careful, in light of the previous discussion of tax capitalization. For example, suppose there is an increase in depreciation deductions for new investment. This will reduce the user cost of capital, spurring investment and increasing  $q$ , the value per unit of new capital. But it will also reduce the value of existing capital *relative* to new capital,  $(\bar{V} - q\Gamma K)$ , since both  $q$  and  $\Gamma$  rise. In general, the value of the firm could rise or fall.

Empirical evidence on fixed investment suggests that firms do respond to changes in the user cost of capital, and also that investment is associated with Tobin's  $q$  in the manner expected, once one adjusts for the capitalization effect just discussed. One additional issue is the extent to which liquidity influences investment, that is, the extent to which capital market imperfections have an important effect, in the aggregate, on business investment. Zwick and Mahon, using administrative tax data (which allows them to look at a broader range of firms), find that investment incentives do affect investment, particularly strongly for smaller firms, but that these strong effects depend on the incentives providing “up front” tax benefits, rather than simply a higher present value of tax benefits. This suggests that, at least for smaller firms, liquidity constraints are important.

## The Corporate-Noncorporate Distinction

We have already discussed a variety of important elements missing from the Harberger model of the corporate tax. One is dynamics; another is investor taxation and corporate financial policy. Both factors affect our conclusions regarding both the incidence and the distortions associated with corporate taxation. Another issue is Harberger's assumption that the corporate and noncorporate sectors represent different industries. While this may have been reasonable in the 1960s, when much of noncorporate capital was found in the farming and residential sectors, it is less justifiable now, when roughly half of US business income is not subject to the corporate income tax, much of it in industries we may think of as "corporate." Indeed, some of these companies, called S corporations, are legally corporations but are able to avoid facing the corporate tax by satisfying restrictions on the dispersion of ownership. How should we model a firm's decision of whether to operate as a corporation? For very large companies, capital market access may still require organization as a traditional corporation (called a C corporation), but for smaller (but still reasonably large) firms, there may be a substantive choice. Among the factors that might be most relevant are differences between corporate and individual tax rates. A small literature has considered this decision.

The corporate-noncorporate distinction also provides a setting for empirical work, where tax provisions affect corporate and noncorporate entities differently. Yagan uses administrative data to study the effects of the 2003 dividend tax cut on investment. As that tax reform affected only C corporations, S corporations present a possible control group. A potential problem with this natural experiment is that the size distributions of C and S corporate sectors are quite different, with the largest companies being almost entirely C corporations. However, given data with broad coverage, Yagan is able to construct treatment and control samples that are comparable in terms of size and other attributes, and finds that the impact of the dividend tax cut on C corporate investment was essentially nil – not just statistically insignificant, but very close to zero. This occurs even though corporations did increase dividend payouts in response to the dividend tax cut, indicating that they may have used financial policy (e.g., changes in borrowing) to generate the funds needed for additional payouts. One possible explanation for the finding of no impact on investment is the new view of dividends discussed in the previous lecture note.

## Intangible Investment

Investment in Research and Development can be tangible (e.g., laboratories) or intangible (e.g., intellectual property). There is a small separate literature on R&D investment because many governments offer special tax incentives in this area. In the United States, for example, there is a Research and Experimentation (R&E) tax credit (which would show up as the term  $k$  in the user cost expression). Also, much of R&D spending (on researchers' wages, for example) is deducted immediately; as discussed above, immediate expensing eliminates the effective corporate tax on investment. Why give such generous tax treatment to R&D investment? The most common argument is that R&D spending produces social spillovers, i.e., that companies can't fully appropriate the social returns to their investments; thus, a Pigouvian subsidy may be in order. The paper by Bloom, Griffith and Van Reenen finds that R&D spending in a panel of OECD countries responds to tax incentives, as measured by the user cost of capital.